

MATLAB Pseudocode: M3 Project Synchronous Machine SS Model

- **Define Initial Parameters**

- Define constants: frequency f , angular velocity ω , voltage values (V_f , V_{Line} , V_{ph}), apparent power S , and power factor pf .

- **Compute Derived Quantities**

- Calculate θ based on power factor.
- Determine Z_L , r_L , and X_L .
- Compute phase current I_a .
- Calculate initial currents: i_{fo} , i_{ao} , i_{bo} , i_{co} , i_{kdo} , i_{kqo} .

- **Set Simulation Parameters**

- Define initial conditions $iniCon$ for the ODE solver.
- Specify the time span $tspan$.

- **Solve the State-Space Model**

- Use `ode45` to solve the system of equations with the function `myode`.

```
iniCon = [iao;ibo;ico;ifo;ikdo;ikqo];  
tspan = [0 30];  
[t,x] = ode45(@myode, tspan, iniCon); % Solving for State Space  
Model (Synchronous Machine)
```

ODE Function (myode)

```
function dx = myode(t,x)
```

1. Calculate angle θ based on time.
2. Define Parameters
 - Set resistances: r_s , r_f , r_{kd} , r_{kq} .
 - Define inductances: L_{sv} , L_{mv} , L_{sa} , L_{ff} , etc.
 - Repeat initialization of other constants.
3. Compute Inductance Matrix ($\mathbf{L}$)
 - Compute self and mutual inductances (L_{aa} , L_{bb} , L_{ab} , etc.) as functions of angle θ .

```
Laa = Lsa+Lsv*cos(2* $\theta$ );
```

- Calculate derivatives of inductances (dL_{aa} , dL_{ab} , etc.).

```
dLaa = -2*Lsv*sin(2* $\theta$ );
```

4. **Define Resistance Matrix ($\mathbf{R}$)**
 - Set up the resistance matrix with resistances $r_s, r_l, r_f, r_{kd}, r_{kq}$.
5. **Define System Matrices**
 - Compute inductance matrix $\mathbf{L}$.
 - Compute the derivative of the inductance matrix $d\mathbf{L}$.
 - Calculate system matrices $\mathbf{A}$ and $\mathbf{B}$.
6. **Define Input Vector ($\mathbf{u}$)**
 - Set input voltages.
7. **Compute State Derivative**
8. Calculate $d\mathbf{x}$ using the state-space equation: $d\mathbf{x} = \mathbf{A} \cdot \mathbf{x} + \mathbf{B} \cdot \mathbf{u}$ **Return State Derivative ($d\mathbf{x}$)**